# **Detailed atomic, molecular and** radiation kinetics in current 2D and 3D edge plasma fluid codes



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## OUTLINE: A&M Model in EIRENE, B2-EIRENE, EMC3-EIRENE, OSM-EIRENE, EDGE2D-EIRENE www.eirene.de

- 1) A&M effects on ITER divertor predictions
- 2) A&M effects for divertor data interpretation

#### **Consistent Plasma-Gas-Radiation simulations** (B2-EIRENE)

If the plasma is allowed to react self-consistently on modified gas-radiation properties, it does so (for ITER conditions) by an increased divertor plasma density, (up to factor 2), somewhat lowered plasma temperature, and a shift from a target recycling towards a volume recombination regime.

This is opposite to expectations for simple estimates that radiation trapping should reduce volume recombination [4.5].

Dominant recombination channels are threebody and radiative. MAR negligible in divertors [2]. Opposite finding, with same numerical model, for linear devices [3]

## Motivation

Atomic and molecular reactions in B2-EIRENE 1996 (and SOLPS 5):

- ionisation of atoms, charge-exchange (D) and elastic (He) collisions
- 3-body and radiative recombination of D
- electron-molecule collisions:  $D_2 \rightarrow 2D; D_2 \rightarrow D_2^+; D_2 \rightarrow D^+ + D$  electron-molecular ion collisions:  $D_2^+ \rightarrow 2D; D_2^+ \rightarrow D^+ + D; D_2^+ \rightarrow 2D^+$

### Update in B2-EIRENE 2003-2004:

- Neutral Neutral collisions between  $D, D_2, He$
- Viscositv - Molecule - Ion elastic collisions  $(D_2 + D^+)$
- Effective rates for electron collisions with  $D_2$  and  $D_2^+$
- Molecular Activated Recombination
- $D_2(v) + D^+ \rightarrow D + D_2^+, D_2^+ \rightarrow 2D$
- Update in B2-EIRENE 2005
- Trapping (opacity) of Ly series photons - Ionisation of the photoexcited states

## Effect of Photon Trapping

Principal effect: higher density and lower temperature near the targets



Molecular

Photon trapping

**Kinetics** 

- 3) New databases: status
- 4) Radiation transport: status
- 5) Conclusions/Outlook

## **B2-EIRENE**



Effect of Viscosity

Principal effect: heating of molecules and reduction of their density



## ITER operational parameters





Simulation of the steady state divertor (SOL) conditions for D-He-C plasma.

B2. 2D, time-dependent set of fluid (Braginskii) equations. EIRENE. Monte-Carlo neutral transport. Calculates neutral related particle, momentum and energy sources for B2.

The goal of the modelling for ITER: quantitative assessment of the principal operational parameters (impurity concentration, loads) vs. control parameters (puffing/pumping, gas pressure)

# ITER design

## Application on fixed (reconstructed) plasma background

Sensitivity at low temperature conditions to atomic and molecular physics details. Strong sensitivity to radiation opacity assumptions

(same as observed in ITER case for frozen plasma conditions)

Inferred atoms density (and related line radiation) differs by factor 2 from opt. thin assumption. This confirms first predictions [6] and is not in conflict with the much lower sensitivity on neutral gas pressure found in self consistent B2-EIRENE ITER calculations.

Current hypothesis:

(inv. Knudsen number)

in the "detached state" is the divertor dynamics

and chemistry is controlled by "Collisionality"

### Results

#### Geometry and plasma background

The present study is carried out for operating conditions typical of the compact tokamak device Alcator-C-Mod [5,8].





#### Transport of photons

#### Monte-Carlo transport of photons in EIRENE [6].

- 1) Sampling of direction of emission
- 2) Sampling of Zeemann component 3) Sampling of Natural broadening of component plus Doppler shift:

$$E_m = E_0 + m \cdot \mu_B B, \quad P(m) = \frac{1}{4} \begin{cases} 1 + \cos^2 \Theta, m = \pm 1; \\ 2\sin^2 \Theta, m = 0 \end{cases}, \quad \cos \Theta = \frac{v_{ph} B}{cB}$$

$$E = E' \left( 1 + \frac{v_{ph} \cdot v_n}{c^2} \right), \quad f(E') = \frac{1}{\pi} \frac{\gamma}{(E' - E_m)^2 + \gamma^2}, \quad \gamma = \frac{A_{nt}h}{4\pi}$$

Absorption cross section (Convolution Integral for Doppler broadening):

$$\sigma_{a}(E) = \frac{B_{in}E_{0}}{\sqrt{\pi}c\Delta_{D}}\sum_{m=-1,0,1} \left( \operatorname{Re}\left[ W\left(\frac{E-E_{m}}{\Delta_{D}};\frac{\gamma}{\Delta_{D}}\right) \right] P(m) \right) \qquad E_{m} = E_{0}\left(1 + \frac{v_{ph} \cdot u}{c^{2}}\right) + m \cdot \mu_{B}B,$$
  
$$\Delta_{D} = \frac{E_{0}}{c} \sqrt{\frac{2T}{m_{a}}} \qquad W(x,y) = W(z = ix - y) = e^{z^{2}} \cdot \left[ 1 - \frac{2}{\sqrt{\pi}} \int_{0}^{z} e^{-t^{2}} dt \right] \text{ (Faddeeva function)}$$

#### Collision-radiative model

Sawada-Fujimoto model [7] supplemented with photo-excitation sources:

$$\left( \left[ \sum_{q > p} C_{p \to q} + \sum_{q < p} F_{p \to q} + S_p \right] \cdot n_e + \sum_{q < p} A_{p \to q} \right) \cdot n_p - \sum_{q < p} C_{q \to p} n_e n_q - \sum_{q > p} F_{q \to p} n_e n_q - \sum_{q > p} A_{q \to p} n_q =$$

$$= \underbrace{R_p n_e n_+}_{\text{Population } n_p^+} + \underbrace{(C_{1 \to p} n_e + B_{1 \to p} n_{ph}^{1p}) \cdot n_1}_{\text{Population } n_p^+}$$

Where C: electronic excitation; F: electronic de-excitation; A: spontaneous transition; S: ionization; R: recombination; B: photo-excitation.

Effective ionization rate  $(r_p = n_p^1/n_1 \approx n_p^1/n_0)$ :

$$S^{ph} = \sum_{a} S_{p} r_{p} = S_{1} + \sum_{a \ge 1} \left[ \left( B_{1p} r_{p} n_{ph}^{p} + C_{1p} \right) - \left( F_{p1} + A_{p1} / n_{e} \right) r_{p} \right]$$

Effective electron cooling rate:

$$\begin{split} S_{E}^{ph} &= S_{1}E_{0} + \sum_{p>1}S_{p}\Delta E'_{p}r_{p} + \sum_{p>1}C_{1p}\Delta E_{1p} + \sum_{p>1}\sum_{q>p}C_{pq}\Delta E_{pq}r_{p} - \sum_{p>1}\sum_{q1}\sum_{q1}B_{1q}n_{ph}^{1p}\Delta E_{1p}; \quad \Delta E'_{p} = E_{0} - E_{p}, \quad \Delta E_{pq} = \left|E_{p} - E_{q}\right| \end{split}$$

#### Radiative heat transfer into PFZ

In the case of Ly -alpha absorption stimulated ionization the values of the energy cost per one ionization event are positive for  $T_e$  below 1 eV, i.e. electrons re-gain energy through this ionization channel, via the radiation field. This effect can result in radiative heat transfer from hotter to colder regions even in divertor plasmas.



Effective energy source per one ionization event: in blue: ordinary ionization, in red: photon absorption stimulated ionization

Radiation transfer module: verification and validation using HID lamps



#### Velocity-space effects (differences to Cretin-Beline modelling [9]

Instead of photo-induced ionization one can use ionization and recombination rates with suppressed spontaneous transitions Both approaches are equivalent in terms of particle balance. but not equivalent in terms of kinetic equation:

Continuity equiation  

$$\frac{1}{n_{e}} \left( \frac{dn_{0}}{dt} \right)_{i/r} = Rn_{+} - Sn_{0} \quad \begin{vmatrix} Boltzmann equation \\ \frac{1}{n_{e}} \left( \frac{df_{0}}{dt} \right)_{i/r} = Rn_{+}\hat{f}_{+} - Sn_{0}\hat{f}_{0} \end{vmatrix}$$

S and R are effective ionization and recombination rates.

How much is the difference between  $\hat{f}_{+}$  and  $\hat{f}_{0}$ ? An example of Velocity Distribution function for D atoms on separatrix in front of the inner (a) and outer (b) target

#### Emission and absorption line shape profiles in EIRENE (2006)

- monoenergetic (delta-function, ohne for emission
- 0 + Doppler (Gaussian profile) 1)
- 2) Natural broadening, electr. Stark effect (Lorentz-profile) 3)
- 2 + Doppler (Voigt-profile) Pressure broadening: v.d. Waals, resonance broadening, quadr. Stark 4) (complex Fadeeva function)
- 5) Not in use
- Normal Zeeman triplet, (3 monoenergetic components, anisotropic) 6)
- 6 + Doppler (3 gaussian components, anisotropic) 7)
- Normal Zeeman triplet, (3 Lorentzian components, anisotropic) 8)
- 8 + Doppler (weighted sum of 3 Voigt profiles, anisotropic) 9)
- 10) Full Zeeman-Stark guantal line shape calculation (Rosato et al., Univ. Marseille) (weighted sum of 10 Lorentzian profiles, anisotropic)
- 11) 10 + Doppler (weighted sum of 10 Voigt profiles, anisotropic)

4): for code verification using HID lamp spectroscopy, LTE, industrial applications (FIDAP-EIRENE)

9): current EIRENE default in B2-EIRENE, OSM-EIRENE, EMC3-EIRENE 10,11): new options (2006), under evaluation

- **Conclusions/Outlook**
- Radiation transfer included also in self consistent 2D plasma-gas-radiation code (B2-EIRENE\_ITER)
- Complementary results in interpretative and predictive mode
- Hydrocarbons: online analysis tool HYDKIN: (www.eirene.de/eigen/index.html)
- spectral analysis indicates: no reduced models above 3-5 eV ??

### References

- See also:
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